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Research



# A Channel Coding Benchmark for Meta-Learning

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Work with Ondrej Bohdal<sup>2</sup>, Hyeji Kim<sup>3</sup>, Da Li<sup>1,2</sup>, Nicholas D. Lane<sup>1,4</sup>, and Timothy Hospedales<sup>1,2</sup>

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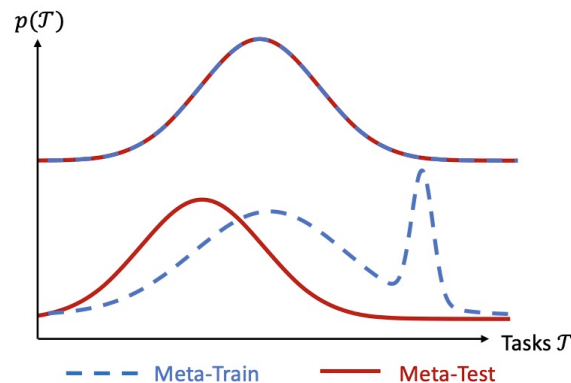
AAAI Workshop on Meta-Learning  
9 February 2021

# Challenges in Meta-Learning

SOTA Meta-learner often suffer in realistic settings[1][2], when:

- Task distribution is broad and multi-modal
- There is distribution shift between the meta-training and meta-testing tasks

Studying these issues with existing benchmarks lack of quantitative **measure** and ability to **control** of task complexity and distribution shifts

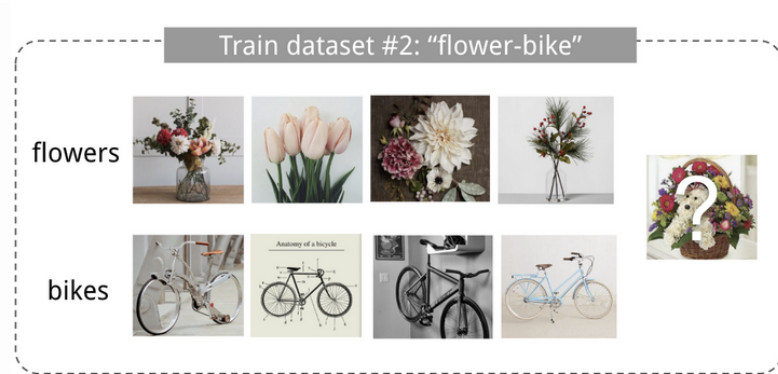


[1] Triantafillou et. al. "Meta-dataset: A dataset of datasets for learning to learn from few examples". In *ICLR*, 2020.

[2] Yu et.al. "Meta-world: A benchmark and evaluation for multi-task and meta reinforcement learning". In *CORL*, 2019.

## Challenges in Meta-Learning

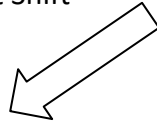
Which of the following datasets is more **complex**?



## Challenges in Meta-Learning

Which of the following transition is associated with a **greater distribution shift**?

Meta-Train-Test Shift  
#1

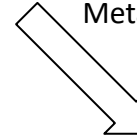


Meta-Test task #1: Picking-up and  
Putting-down an Object



Meta-train task: Switch Manipulation

Meta-Train-Test Shift  
#2



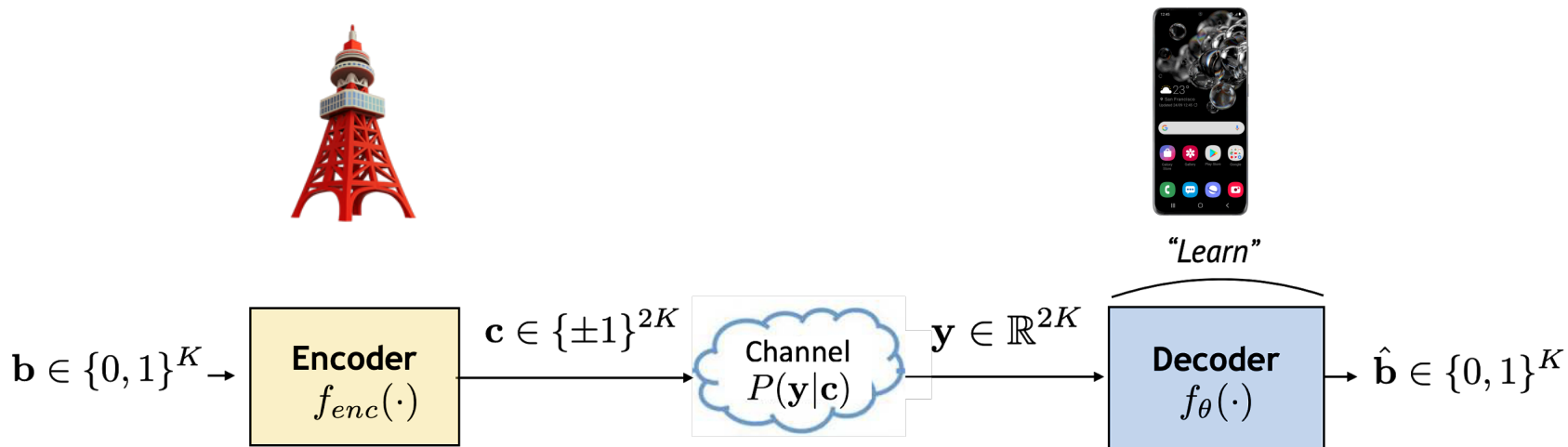
Meta-Test task #2: Opening a Door

# Our Contributions

- Propose a channel coding powered meta-learning benchmark.
- And use such benchmark to investigate:
  - Q1: *How vulnerable are existing meta-learners to under-fitting when trained on complex task distributions?*
  - Q2: *How robust are existing meta-learners to task-distribution shift between meta-train and meta-test?*
  - Q3: *Are channel coding meta-learners able to rely on the feature re-use shortcut, or must they learn to adapt?*

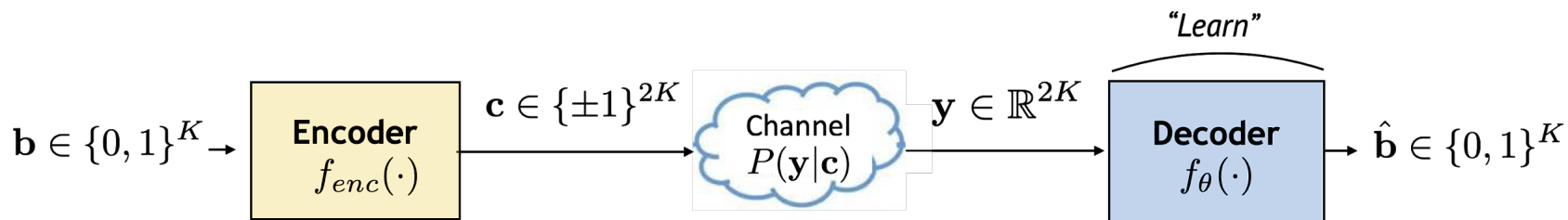
# What is Channel Coding?

Neural Decoder [3] able to obtain superior performance on complex & realistic channels



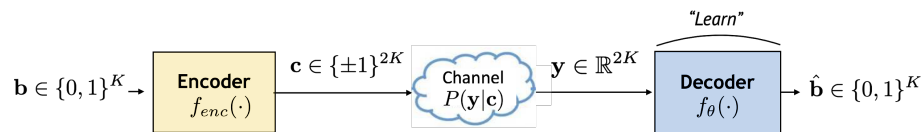
# Why Channel Coding as a Benchmark

- A fundamental problem in communications
- Task distributions naturally arise, and fast adaptation to new tasks is practically valuable
- Controllability of task distributions (via controlling e.g. channel noise distributions)
- Information theoretic measures obtainable



# Channel Coding Benchmark for Meta-Learning

- 4 Families (modes) of common **channel models**: Additive White Gaussian Noise (AWGN), Bursty, Memory, and Multipath interference channels, and corresponding decoding tasks.
- A **task distribution** corresponds to a channel class and is **parameterized** by continuous channel parameters  $\omega$ , e.g., SNR value.
- Implementation: Based on and extended Learn2Learn [4] framework.





# Diversity Score and Train-Test Task-Shift Measures

- **Definition 1: The Diversity Score  $D(\mathcal{T})$**  of a task distribution  $p(\mathcal{T})$  is defined as mutual information between the channel parameter  $\omega$  and the received signal  $y$ :

$$D(\mathcal{T}) = \mathbb{E}_{\mathbf{c}}[I(\omega; \mathbf{y}|\mathbf{c})],$$

where  $\omega$  denotes the channel parameter (latent variable) for the task distribution, i.e.

$$p(\mathbf{y}|\mathbf{c}) = \int_{\omega} p(\mathbf{y}|\mathbf{c}, \omega)p_{\omega}(\omega).$$

➤ **Definition 2: Train-Test Task-Shift  $S(p_a(\mathcal{T}), p_b(\mathcal{T}))$**

Distance between a test distribution  $\mathcal{T}_a$  and a train distribution  $\mathcal{T}_b$  using

Kullback–Leibler divergence (KLD):

$$S(p_a(\mathcal{T}), p_b(\mathcal{T})) := \mathbb{E}_{\mathbf{c}}[D_{KL}(p_a(\mathbf{y}_a|\mathbf{c})||p_b(\mathbf{y}_b|\mathbf{c}))] \\ + \mathbb{E}_{\mathbf{c}}[D_{KL}(p_b(\mathbf{y}_b|\mathbf{c})||p_a(\mathbf{y}_a|\mathbf{c}))],$$

In which  $p_a(y_a/c)$  and  $p_b(y_b/c)$  denote the channels associated with  $\mathcal{T}_a$  and  $\mathcal{T}_b$ , respectively.

# Experiment Setup

- 8 Meta-learners: MAML, MAML FO, Reptile, ANIL, KFO, CAVIA, MetaSGD, and MetaCurvature
- Non-meta-learner: empirical risk minimisation (ERM) baseline “Vanilla”
- 4 Channel families, each sample 200 noise setups

# Results [Q1]: Impact of Training Distribution Diversity

Uni-modal/ within family (AWGN): Focused (SNR -0.5 ~ 0.5); Expanded (SNR -5 ~ 5)

Multi-modal/mixed: AWGN + Bursty + Memory + Multi-path

=> moderate degradation as diversity increases

BER: Bit-error-rate  
(lower the better)

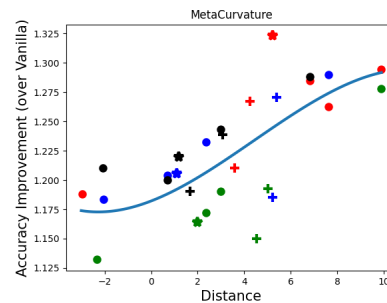
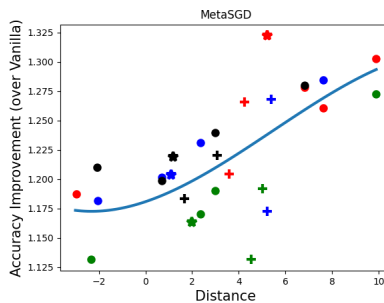
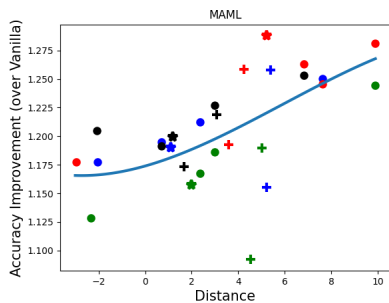
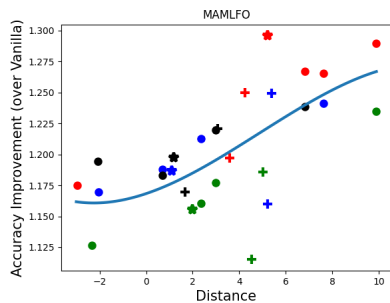
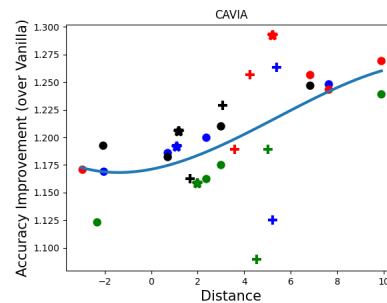
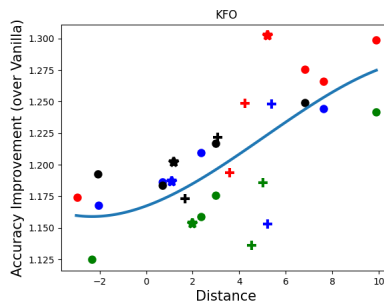
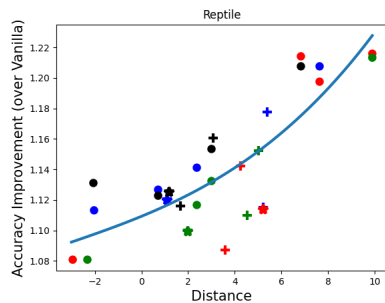
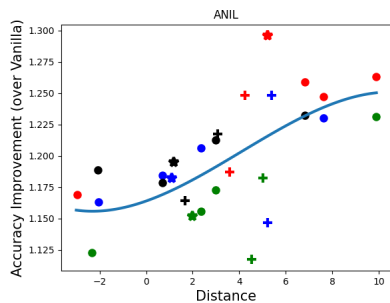


# Results [Q2]: Impact of Train-Test Distribution Shift



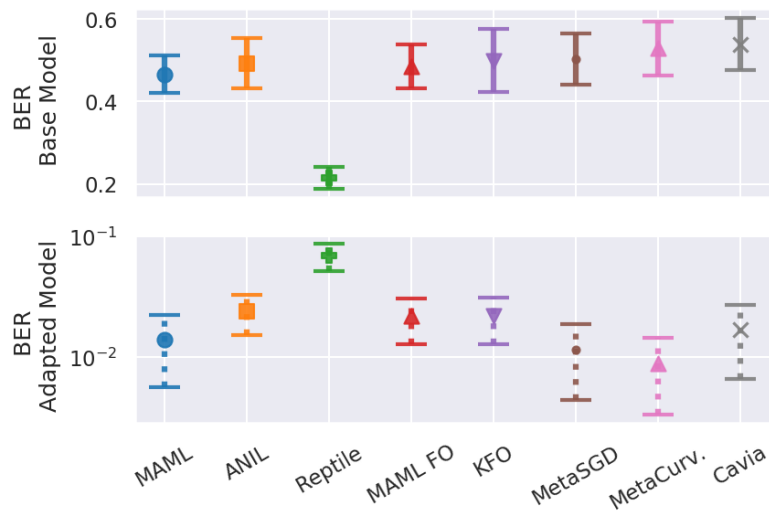


# Results [Q2]: Distance Score vs Accuracy Gain over Vanilla



# Follow-up Studies (if time allows)

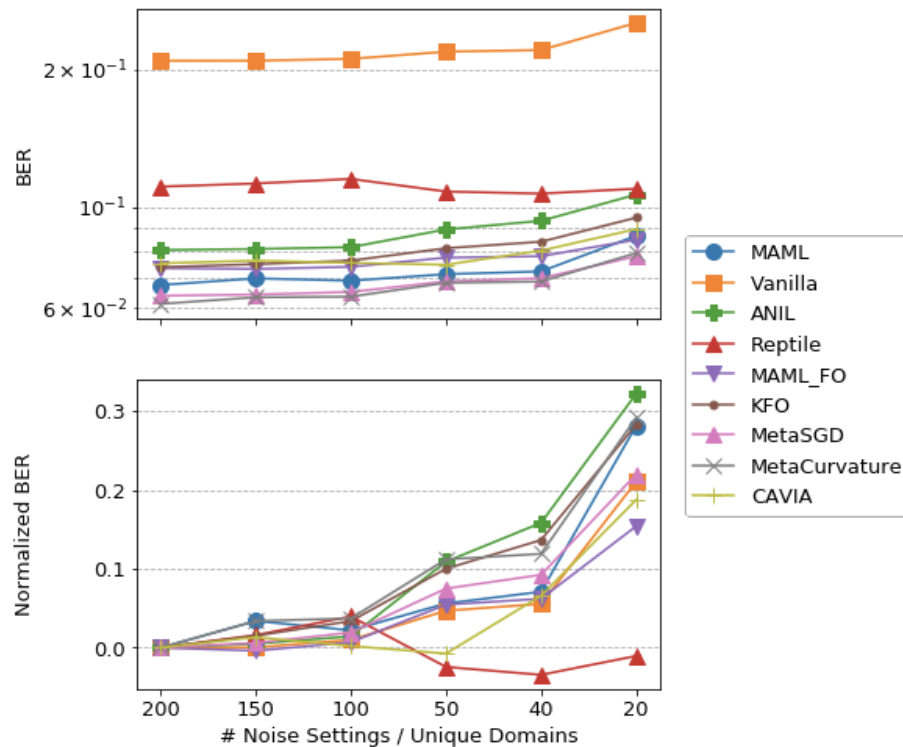
[Q3] Who is taking the *feature re-use* short-cut? 🔍





# Follow-up Studies (if time allows)

*Impact of #domains available*



# Conclusions

- Channel coding provides a flexible benchmark for studying meta-learning
- Mild degradation in performance under complex task distributions (Q1)
- Absolute performance degrades rapidly with distribution shift. (Q2)
- Accuracy improvement over non-meta-learner improves with shift (Q2)
- Less features re-use in channel coding than vision tasks (Q3)

# Thank You & Questions!

Poster Session 12:00-13:00  
Room 7

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Research



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Website: <https://ruihuili.github.io>



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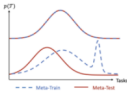
### Challenges and Contributions

Meta-learners have been shown to suffer in realistic settings [1,2], especially when:

- Task distribution is broad and multi-modal
- There is distribution shift between the meta-training and meta-testing tasks.

### Our Contributions:

- Investigate the effects of the **diversity** of task distributions, and **shift** between meta-train and meta-test on performance.
- Introduce quantitative metrics of task-distribution shift and training-data diversity score.



### Channel Coding

- Fundamental problem in communications;
- Practical application where task distributions naturally arise, and fast adaptation to new tasks is practically valuable.

Illustration of a neural decoder [3]:



References:

- [1] Triantafyllou, Elmi, et al. "Meta-dataset: A dataset of datasets for learning to learn from few examples." arXiv preprint arXiv:2003.03096 (2020).
- [2] Yu, Tianhe, et al. "Meta-world: A benchmark and evaluation for multi-task and meta reinforcement learning." Conference on Robot Learning, PMLR, 2020.
- [3] Kim, Hyeji, et al. "Communication algorithms via deep learning." NeurIPS, 2018.
- [4] Arnold, Sebastian M. R., et al. "Learn2Learn: A Library for Meta Learning Research."

### Coding Benchmark for Meta-Learning

4 Families (modes) of **channel models**: AWGN, Bursty, Memory, and Multipath interference channels, and corresponding decoding tasks.

A **task distribution** corresponds to a channel class and is **parameterized** by continuous channel parameters  $\omega$ , e.g., SNR value.

Implementation: Based on an extended Learn2Learn [4] framework.

**Definition 1: Train-Test Task-Shift**  $S(p_a(\mathcal{T}), p_b(\mathcal{T}))$   
Distance between a test distribution  $\mathcal{T}_a$  and a train distribution  $\mathcal{T}_b$  using KLD:

$$S(p_a(\mathcal{T}), p_b(\mathcal{T})) := \mathbb{E}_c [D_{KL}(p_a(y_a|c) || p_b(y_a|c))] + \mathbb{E}_c [D_{KL}(p_b(y_b|c) || p_a(y_b|c))],$$

where  $p_a(y_a|c)$  and  $p_b(y_b|c)$  denote the channels associated with  $\mathcal{T}_a$  and  $\mathcal{T}_b$ , respectively.

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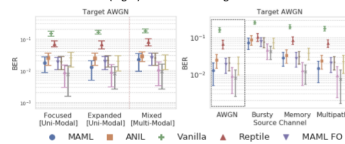
$$D(\mathcal{F}) = \mathbb{E}_c [I(\omega; y|c)],$$

Where  $\omega$  denotes the channel parameter (latent variable) for the task distribution, i.e.

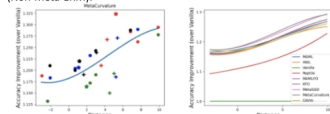
$$p(y|c) = \int_{\omega} p(y|c, \omega) p_{\omega}(\omega).$$

### Experiments

Impact of Training Distribution **Diversity** (Left) and Train-Test **Distribution Shift** (Right) on Meta-Learning Performance:



Proposed **Distance Score** vs **Accuracy** Improvement over Vanilla (Non-Meta-ERM):



### Take Home Messages:

- Mild degradation in performance under complex task distributions
- Absolute performance degrades rapidly with distribution shift.
- Accuracy improvement over non-meta-learner improves with shift
- Channel coding provides a flexible benchmark for studying meta-learning

Who is taking the **feature re-use** short-cut?

